Data on earnings were published for a particular country. The data showed that the annual income of people in full-time employment was normally distributed with a mean of $€ 39400$ and a standard deviation of $€ 12920$.
(a) (i) The government intends to impose a new tax on incomes over $€ 60000$.

Find the percentage of full-time workers who will be liable for this tax, correct to one decimal place.
$\qquad$
(ii) The government will also provide a subsidy to the lowest $10 \%$ of income earners. Find the level of income at which the government will stop paying the subsidy, correct to the nearest euro.

(iii) Some time later a research institute surveyed a sample of 1000 full-time workers, randomly selected, and found that the mean annual income of the sample was $€ 38280$. Test the hypothesis, at the $5 \%$ level of significance, that the mean annual income of full-time workers has changed since the national data were published.
State the null hypothesis and the alternative hypothesis.
Give your conclusion in the context of the question.

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(b) The research institute surveyed 400 full-time farmers, randomly selected from all the full-time farmers in the country, and found that the mean income for the sample was $€ 26974$ and the standard deviation was $€ 5120$.
Assuming that annual farm income is normally distributed in this country, create a $95 \%$ confidence interval for the mean income of full-time farmers.

(c) It is known that data on farm size are not normally distributed.

The research institute could take many large random samples of farm size and create a sampling distribution of the means of all these samples.
Give one reason why they might do this.

(d) The research institute also carried out a survey into the use of agricultural land. $n$ farmers were surveyed.
If the margin of error of the survey was $4 \cdot 5 \%$, find the value of $n$.


